

Lecture 17: Parsing

CS 181O
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Parsing Problem

- Given a grammar G and a string s , the parsing problem answers the question whether or not $s \in L(G)$. If $s \in L(G)$, the answer to this question may include either a parse tree or a derivation.

Parse Tree

- A parse tree for a grammar G is a tree where
 - the root is the start symbol for G
 - the interior nodes are the nonterminals of G and the children of a node N correspond to the symbols on the right hand side of some production rule for T in G
 - the leaf nodes are the terminal symbols of G
- Every string generated by a grammar has a corresponding parse tree that illustrates a derivation for that string.

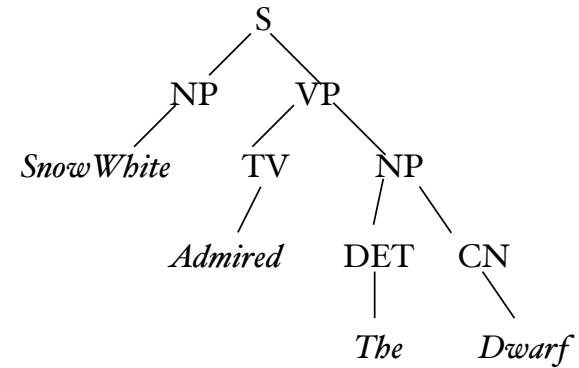
A Fragment of English

- $S \rightarrow NP VP$
- $NP \rightarrow \text{Snow White} \mid \text{Alice} \mid \text{Dorothy} \mid \text{Goldilocks} \mid \text{DET CN} \mid \text{DET RCN}$
- $DET \rightarrow \text{the} \mid \text{every} \mid \text{some} \mid \text{no}$
- $CN \rightarrow \text{girl} \mid \text{boy} \mid \text{princess} \mid \text{dwarf} \mid \text{giant} \mid \text{sword} \mid \text{dagger}$
- $RCN \rightarrow \text{CN that VP} \mid \text{CN that NP TV}$
- $VP \rightarrow \text{laughed} \mid \text{cheered} \mid \text{shuddered} \mid \text{TV NP} \mid \text{DV NP NP}$
- $TV \rightarrow \text{loved} \mid \text{admired} \mid \text{helped} \mid \text{defeated} \mid \text{caught}$
- $DV \rightarrow \text{gave}$

Derivation

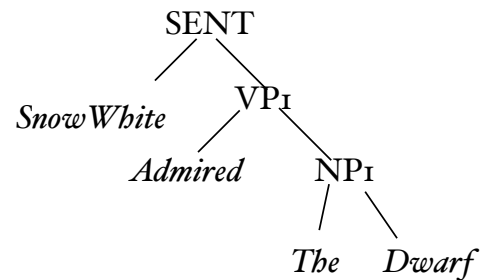
- S ⇒ NP VP ⇒ Snow White VP
 - ⇒ Snow White TV NP
 - ⇒ Snow White admired NP
 - ⇒ Snow White admired DET CN
 - ⇒ Snow White admired the CN
 - ⇒ Snow White admired the dwarf
- Parse tree on next slide

Parse Tree



Abstract Syntax Tree

Is generally simpler, but preserves structure



SENT *SnowWhite* (VP_I *Admired* (NP_I *The Dwarf*))

Preserved subtree structure!

Strategy

- Build parse tree, then apply function to get AST (or, equivalently, term in Haskell)

Parse Trees

- A parse tree is either empty, or a leaf, or a branching node with information on its subtrees. (*Nodes and leaves can hold different info*)
- `data ParseTree a b = Ep | Leaf a |
Branch b [ParseTree a b]`
deriving Eq

Parse Trees

Leaf info type

Branch info type

`data Category = S | NP | VP | DET | N | V | ADJ`

`tree :: ParseTree String Category`

```
tree = Branch S [Branch NP [Leaf "SnowWhite"],  
Branch VP [Branch TV [Leaf "admired"],  
Branch NP  
[Branch DET [Leaf "The"],  
Branch N [Leaf "Dwarf"]]]]
```

Showing tree

```
instance (Show a, Show b) => Show (ParseTree a b) where  
show Ep      = "[]"  
show (Leaf t) = show t  
show (Branch l ts) = "[" ++ show l ++ " "  
++ show ts ++ "]"
```

Parsing

- Want function `parse :: String -> [ParseTree a b]`
 - If result empty, then failed
 - If more than one, then ambiguous.
 - Generally hope for singleton list
- Problem: Stuff left over (not used!)
 - When looking for S, first look for NP, then VP
 - After finding NP, will be some input left over

Parser

- type Parser a b = [a] → [(b,[a])]
 - where a is type of input, b is type of parse tree
- For us, input is a list of strings (tokens), while b is ParseTree String Category.
 - Want parser:: Parser String (ParseTree String Category)
 - Equiv to [String] → [(ParseTree String Category,[String])]
 - type PARSE a b = Parser a (parseTree a b)
use PARSE as an abbreviation
E.g., PARSE String Category

Example

Leaving out all Branch, Leaf tags:

["All", "Girls", "Laugh"] ⇒

[(DET "All"), ["Girls", "Laugh"]] ⇒

[(NP [(DET "All"),(CN "Girls")], ["Laugh"])] ⇒

[(S [NP [(DET "All"),(CN "Girls")],

VP ["Laugh"]], [])]

Parser Combinators

- Functions that combine parsers into a new parser, or transform a parser into a different parser.
- Start with parsers that recognize simple languages and then build up more complex.

Parsing Context Free Languages in P.hs

Start on line 151

Examples

- Let:
 - $p_1 = (\text{symbol "Alice" } \langle \mid \rangle \text{ symbol "Dorothy"})$
 - $p_2 = p_1 \langle * \rangle (\text{symbol "Sally"})$
- Then
 - $p_1 \text{ "AliceSally"} = [(\text{"Alice"}, \text{"Sally"})]$, $p_1 \text{ "MaryAnn"} = []$
 - $p_1 \text{ "DorothySally"} = [(\text{"Dorothy"}, \text{"Sally"})]$
 - $p_2 \text{ "AliceSallyMary"} = [(\text{"AliceSally"}, \text{Mary})]$

Define Parser for English

$pS, pNP, pVP, pD, pN :: \text{Parser String String}$

$pS = pNP \langle * \rangle pVP$

$pNP = \text{symbol "Alice" } \langle \mid \rangle \text{ symbol "Dorothy" } \langle \mid \rangle$

$\text{symbol "SnowWhite" } \langle \mid \rangle \text{ symbol "Goldilocks" } \langle \mid \rangle$

$\text{symbol "LittleMook" } \langle \mid \rangle \text{ symbol "Atreyu" } \langle \mid \rangle$

$(pD \langle * \rangle pN)$

$pVP = \text{symbol "cheered" } \langle \mid \rangle \text{ symbol "laughed" } \langle \mid \rangle \text{ symbol "shuddered"}$

$pD = \text{symbol "every" } \langle \mid \rangle \text{ symbol "some" } \langle \mid \rangle \text{ symbol "no"}$

$pN = \text{symbol "dwarf" } \langle \mid \rangle \text{ symbol "wizard"}$

Examples

- $pS [(\text{"every"}, \text{"dwarf"}, \text{"cheered"})] \Rightarrow [(\text{"everydwarfcheered"}, [])]$
- But we want a parse tree!!

Questions?