CS 181: NATURAL LANGUAGE PROCESSING

Lecture 10: Parsing

KIM BRUCE POMONA COLLEGE SPRING 2008

Disclaimer: Slide contents borrowed from many sources on web!

EXAMPLE CFG

- $\hfill T$ = {this, that, a, the, man, book, flight, meal, include, read, does}
- N = {S, NP, NOM, VP, Det, Noun, Verb, Aux}
- S start

R =

$S \rightarrow NP VP$	$VP \rightarrow Verb$
$S \rightarrow Aux NP VP$	$VP \rightarrow Verb NP$
$S \rightarrow VP$	$Det \rightarrow that this a the$
NP → Det NOM	Noun → book flight meal man
NOM → Noun	Verb → book include read
$NOM \rightarrow Noun NOM$	$Aux \rightarrow does$

WHY PARSING?

- Machine translation:
 - ${}^{\otimes} \text{ L1} \Rightarrow \text{PT1} \Rightarrow \text{PT2} \Rightarrow \text{L2}$
- Speech synthesis from parsing:
 - The government plans to raise income tax.
 - The government plans to raise income tax the imagination.
 - Speech recognition:
 - Put the file in the folder.
 - Put the file and the folder.

WHY PARSING?

- # Grammar Checking
- Indexing for information retrieval
- Information extraction
 - Subject vs. object

HUMAN LANGUAGE PARSING

HUMAN LANGUAGE PROCESSING

- Seven principles from Kimball, 1973, Cognition 2:15-47
 - 1. Top-down: parsing in natural language proceeds according to a top-down algorithm
 - 2. Right association: Sentences organize into right-branching structures (less complex)
- 3. New nodes: A new node is signalled by a function word (preps, det, conjunctions, complementizers, auxs, wh-words)

HUMAN LANGUAGE PROCESSING

- 4. Two sentences: Max of two sentences can be parsed in parallel
- * That that Joe left bothered Susan surprised Max
- 5. Closure: A phrase is closed as soon as possible (unless the next node is a constituent of the phrase)
- They knew that the girl was in the closet
- They knew the girl was in the closet
- 6. Fixed structure: Costly to reorganize the constituent after a phrase has been closed
- Garden path sentences

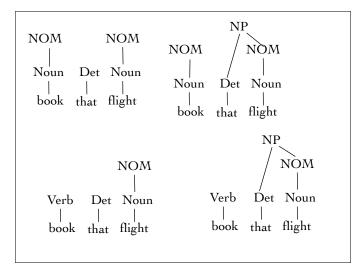
HUMAN LANGUAGE PROCESSING

7. Processing: When a phrase is closed, it is pushed down into a syntactic processing stage and cleared from short-term memory
Tom saw that the cow jumped over the moon.



BOTTOM-UP PARSING

- Data-driven: Start w/ string. Rewrite by replacing RHS by LHS of rules until get S.
- May have several RHS matches.
- Usually presented as shift-reduce parse
 YACC



SH	IFT-REI	DUCE
sentence → NounPhrase Ve	rbPhrase	
NounPhrase → Art Noun		
VerbPhrase → Verb Adverb	Verb	Parse: The dog jumps
Art \rightarrow the $ a $		rarse: <i>The obg jumps</i>
Verb → jumps sings		
Noun $\rightarrow \text{dog} \mid \text{cat} \mid$		Draw trees as parse!
	-	
Stack	Input Sequence	
()	(the dog jumps)	
(the)	(dog jumps)	SHIFT word onto stack
(Art)	(dog jumps)	REDUCE using grammar rule
(Art dog)	(jumps)	SHIFT
(Art Noun)	(jumps)	REDUCE
(NounPhrase)	(jumps)	REDUCE
(NounPhrase jumps)	()	SHIFT
(NounPhrase Verb)	()	REDUCE
(NounPhrase VerbPhras	e)()	REDUCE
(Sentence)	()	SUCCESS

BOTTOM-UP PARSING

- Do we shift or reduce?
- If reduce, which rule do we use?
- With prog. langs, build table to always tell you what to do -- deterministic.
- Programming languages designed to be unambiguous. We don't have that luxury!
- ε-rules can be applied anywhere!
- May need to backtrack!

TOP-DOWN VS. BOTTOM-UP

- Top-down may explore paths that can never result in desired string
 - In prog. langs, can make sure that doesn't happen.
- Bottom up may build subtrees that can not be part of trees rooted at S.
- Both may have to repeat work when backtracking!

KEYS TO SUCCESS

- Watch out for bad grammars

 Ieft-recursive for top-down (VP → VP PP)
- Try to avoid redoing work when backtracking
- Grammar transformations help
 ... but linguists will hate you!

CKY PARSING

DYNAMIC PROGRAMMING: CKY PARSER

- Given CFG in CNF and an input string, produce the collection of all valid parse trees.
- Think recursively: what about last step in building a parse tree for subsequence of input.
 - Suppose root is labeled A.
 - \circledast If non-trivial, top production is A \twoheadrightarrow B C
 - [◎] Thus, string w produced by A can be written w_B w_C where $B \rightarrow^* w_B$, $C \rightarrow^* w_B$
 - Need to search to see where to divide w.

DYNAMIC PROGRAMMING

- * Number gaps between words:
 - 0 Time 1 flies 2 like 3 an 4 arrow 5.
- Create n × n upper-triangular table
 - rows: o to n-1.
 - cols: 1 to n.
 - cell[i,j] contains non-terminals that could head a subtree generating words between i and j
- E.g., cell[3,5] contains NP

	CNF
$NP \rightarrow time$	$S \rightarrow NP VP$
$Vst \rightarrow time$	$S \rightarrow Vst NP$
$NP \rightarrow flies$	$S \rightarrow S PP$
$VP \rightarrow flies$	$VP \rightarrow V NP$
P → like	$VP \rightarrow VP PP$
V → like	$NP \rightarrow Det N$
Det → an	$NP \rightarrow NP PP$
$N \rightarrow arrow$	$NP \rightarrow NP NP$
	$PP \rightarrow P NP$

Algorithm

function CKY_Parse(words, grammar) $n \leftarrow length(words)$ for $w \leftarrow 1$ to n do table[w-1,w] \leftarrow {A | A \rightarrow words[w] \in grammar} for start $\leftarrow 0$ to n-w do # start is row end \leftarrow start + w # end is column for mid \leftarrow start+1 to end-1 for every X in table[start,mid] for every Y in table[mid,end] for all B s.t B \rightarrow X Y \in grammar add B to table[start,end]

*	CREATING A TABLE • Enter the part of speech for word; in cell[i-1,i]								
0	Time 1	flies 2	like 3	an 4	arrow 5				
0	NP, Vst				~				
1		NP, VP							
2			P, V						
3				Det					
4					Ν				
L		1		1					

FILLING IN TABLE

0	Time 1	flies 2	like 3	an 4	arrow 5		
0	NP, Vst	NP					
1		NP, VP	/				
2			P, V				
3				Det			
4					Ν		
$NP \rightarrow NP_1 NP$							

	FI	LLIN	g In '	TABLI	E
0	Time 1	flies 2	like 3	an 4	arrow 5
0	NP, Vst	NP, <i>S</i> ²		/	/
1		NP, VP			
2			P, V		
3				Det	
4					Ν
		$S \rightarrow NP$	1 VP, S –	→ Vst1 NI)

Time 1 flies 2 like 3 an 4 arrow 5 NP, Vst NP, S² NP, Vpt

0

0

1		NP, VP	-						
2			P, V	-					
3				Det	NP				
4					Ν				
	$NP \rightarrow Det_4 N$								

0	Time 1	flies $_2$	like 3	an 4	arrow 5		
0	NP, Vst	NP, S ²	-	/			
1		NP, VP	-	-			
2			P, V	-	VP, PP		
3				Det	NP		
4					Ν		
$VP \rightarrow V_3 NP, PP \rightarrow P_3 NP$							

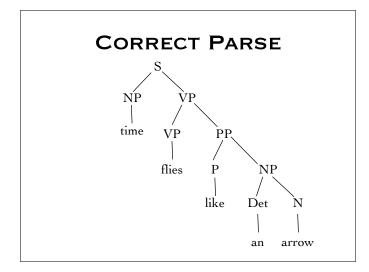
FILLING IN TABLE

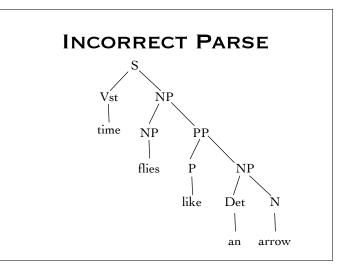
0	Time 1	flies 2	like 3	an 4	arrow 5			
0	NP, Vst	NP, S ²	-	-	~			
1		NP, VP	-	-	S, NP, VP			
2			P, V	-	VP, PP			
3				Det	NP			
4					Ν			
$S \rightarrow NP_2 VP, NP \rightarrow NP_2 PP, VP \rightarrow VP_2 PP$								

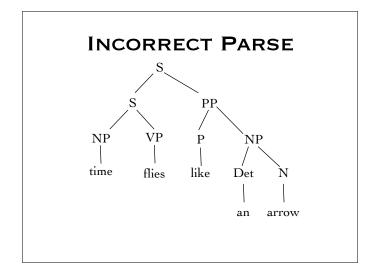
	FI	LLIN	g In '	TABLI	E
0	Time 1	flies 2	like 3	an 4	arrow 5
0	NP, Vst	NP, S ²	-	-	S ⁵ , NP ²
1		NP, VP	-	-	S, NP, VP
2			P, V	-	VP, PP
3				Det	NP
4					Ν
		₽1 VP, NI > NP2 PP,	-	<i>,</i>	- /



- Each entry in table corresponds to a parse tree
- Reconstruct using backpointers or could actually associate tree with each entry (sharing subtrees, for efficiency)







Exercise									
0	She 1	eats 2	fi	ish 3	with 4	ch	opsticks 5		
0	NP								
1									
2									
3									
4									
	$NP \rightarrow s$	she		V →	eats		$NP \rightarrow N$	P P P	
	$NP \rightarrow f$	fish		$V \rightarrow$	fish		$VP \rightarrow V$	NP	
	$NP \rightarrow f$	fork		$P \rightarrow$	with		$VP \rightarrow VI$	P PP	
	$NP \rightarrow c$	chopstick	s	S →	NP VP		$PP \rightarrow P$	NP	

EARLEY ALGORITHM

EARLEY ALGORITHM

Top-down

- Does not require CNF, handles leftrecursion.
- Proceeds left-to-right filling in a chart
- States contain 3 pieces of info:
 - 🏶 Grammar rule
 - Progress made in recognizing it
 - Position of subtree in input string

PARSE TABLE

- As before, columns correspond to gaps
- Entry in column n of the form

 $\circledast \mathrel{A} \twoheadrightarrow u.v, \mathrel{k}$

- [⊕] Means predicting that we'll use rule A → u v, and so far have verified u in input matches section of input [k,n]
- Ex: 0 Book 1 that 2 flight 3
 - ◎ NP → Det.Nom,1 in column 2 means have recognized "that" (word[1,2]) is Det and hope to show Nom occurs later

EARLEY ALGORITHM

Add **ROOT** \rightarrow **. S** to column 0. For each j from 0 to n: For each dotted rule in column j, (including those added as we go!) look at what's after the dot: • If it's a word w, SCAN: - If w matches the input word between j and j+1, advance the dot and add the new rule to column j+1 • If it's a non-terminal X, PREDICT: - Add all rules for X to the bottom of column j, with the dot at the start: e.g. $\mathbf{X} \rightarrow$. Y \mathbf{Z} • If there's nothing after the dot, ATTACH: - We've finished some constituent, A, that started in column i<j. So for each rule in column $\,\,j$ that has A after the dot: Advance the dot and add the result to the bottom of column j. Return true if last column has $ROOT \rightarrow S$.

IDEA OF ALGORITHM

- Process all hypotheses in order
- May add new hypotheses (or try to add old)
- Process according to what after dot
 if word, scan and see if matches
 - * if non-terminal, predict ways to match
 - If want, can be smart and peek ahead to reduce possibilities
 - if at end, have complete constituent and attach to those that need it.

EXAMPLE

$S \rightarrow NP VP$	$VP \rightarrow Verb$
$S \rightarrow Aux NP VP$	$VP \rightarrow Verb NP$
$S \rightarrow VP$	$Det \rightarrow that this a the$
$NP \rightarrow Det NOM$	Noun → book flight meal man
$NOM \rightarrow Noun$	Verb → book include read
$NOM \rightarrow Noun NOM$	Aux → does

Book that flight!

