

*CS Lunch today in Frary South*

## Lecture 19: Modules

---

CSC 131  
Spring, 2019

Kim Bruce

## Specification

- Definitions should not depend on implementation details.
- Constants, types, variables, and operations
  - Behavior must be specified abstractly
    - pre- and postconditions
    - Axioms and rules:  $\text{pop}(\text{push}(S, x)) = S$ ,  
if not empty( $S$ ) then  $\text{push}(\text{pop}(S), \text{top}(S)) = S$
  - Details of implementation provided elsewhere
  - Data + Operations (+ equations) = Algebra

## Implementation

- Details of representation and implementation of operations.
- Details not accessible outside unit.

## Modules

- Reusable modules:
  - Separate, but not independent compilation
  - Maintain type checking
  - Control over export and import of names

# Representation Independence & Information Hiding

- Choice of representation doesn't affect computation. E.g., rationals.
- If represent new type in terms of old:
  - Rep may have values not corresponding to new type. E.g., (3,0)
  - Rep may have several values corresponding to same abstract value. E.g., (1,2) and (2,4).
  - Values of new type can be confused w/values of rep type.

## Last Time

- Simula 67
- Clu
- Ada

## Modula 2

- Similar to Ada except
  - no generics
  - no "private" section
- Require all private types to take same amount of space -- a pointer

```
DEFINITION MODULE stackMod;
IMPORT element FROM elementMod;
  TYPE stack;
  PROCEDURE make_empty (VAR S : stack);
  PROCEDURE push (VAR S : stack; X : element);
  PROCEDURE pop (VAR S : stack; X: element);
  PROCEDURE empty (S : stack): BOOLEAN;

END stackMod.

IMPLEMENTATION MODULE stackMod;
  TYPE stack = POINTER TO RECORD
    space   : array[1..length] of element;
    top      : INTEGER;
  END;

  PROCEDURE make_empty (VAR S : stack);
  BEGIN
    S^.top := 0;
  END make_empty ;

  ... (* can be start-up code too to initialize *)
END stackMod;
```

## Ada vs. Modula 2

- Representations fairly similar
  - can import from other units (modules or packages) and export items to other units.
- For external representations not much difference.
- Private types in Ada vs opaque types in Modula.

## Ada vs. Modula 2

- Use of opaque types require Pointer types
- Representation changes
  - in Ada forces recompilation of user programs
  - Not in Modula 2
- Internal reps of ADT's almost identical.
- Ada more flexible via generic routines -
  - can parameterize on types and sizes
  - Create new instances of packages

## Easier if Uniform Reps

- LISP, Scheme, ML, Haskell, Clu, Eiffel, and Java have uniform reps for values so can share same code.
- Non-uniform representations:
  - Ada requires different implementation, but still type-checks statically.
  - C++ type-checks only when instantiated
- Automatic boxing and unboxing now helps with primitive types in Java and C#.

## Modules in Haskell

- Module:
  - Control namespace
  - define abstract data types.
  - No nesting of modules
- Examples: PcfLexer.hs, ParsePCF.hs
  - Name starts with cap
  - list functions and types (including constructors) to be exported.
  - Make more abstract by leaving off constructors
  - if no export list, then all exported

# Importing

- Module must be explicitly imported
  - Can narrow more by listing items to be imported
    - import PcfLexer(getTokens, Token(ID,NUM))
  - If name conflicts, can “import qualified” and access:
    - PcfLexer.getTokens
  - “hiding” clause can hide imported items.
  - “as” clause can rename imported features

# ML

- datatype like Haskell data declaration.
- No information hiding

## ML Modules

- SML has two sub-languages:
  - Core -- programming in the small
    - details of types and expressions
  - Modules -- programming in the large -- architecture.
    - group defs of types & expressions into units w/interfaces
- Separate interfaces (signatures) from implementations (structures)
  - Explicitly typed!
  - Can reveal implementations if want.

## Signature

```
signature INTSTACKSIG =
sig
  type intstack;
  exception stackUnderflow;
  val emptyStk: intstack;
  val push: int -> intstack -> intstack;
  val pop: intstack -> intstack;
  val top: intstack -> int;
  val IsEmpty: intstack -> bool;
end;
```

## Structure *optional*

```
structure IntStack: INTSTACKSIG =  
  struct  
    type intstack = int list;  
    exception stackUnderflow;  
  
    val emptyStk = [];  
  
    fun push (e:int) (s:intstack) = (e::s);  
  
    fun pop [] = raise stackUnderflow  
      | pop (e::s) = s;  
    ...  
  
    fun extra ... (* not visible outside *)  
  end;
```

## Accessing Structure

- `IntStack.push 12 IntStack.emptyStk`
- `open IntStack;`  
`push 12 emptyStk;`
- Considered bad style to open outside structure.
- Rather than open, rename:
  - `val push = IntStack.push;`  
`val emptyStk = IntStack.emptyStk;`

## Ascription

- `structure IntStack: INTSTACKSIG = ...`
  - lets type definitions escape - transparent
  - hides extra features
- `structure IntStack:> INTSTACKSIG = ...`
  - also hides type definitions - opaque
- Can further restrict structure to create “views” by giving new name and signature
  - `structure ResStack:> RESSTACKSIG = IntStack`

## More ML Modules

- Modules may be nested -- helping modules
- Functors: Modules parameterized by other modules.
- Supports code reuse -- apply to many different structures

## Functor Examples

```
signature EQ =
  sig
    type t
    val eq : t * t -> bool
  end;

functor PairEQ(P : EQ) : EQ = struct
  type t = P.t * P.t
  fun eq((x,y),(u,v)) = P.eq(x,u) andalso P.eq(y,v)
end;

structure IntEQ : EQ = struct
  type t = int
  val eq : t*t->bool = (op =)
end;

structure IntPairEQ : EQ = PairEQ(IntEQ);
```

*What is this like  
in Haskell?*

## Evaluating ML Modules

- Limitations:
  - Functors are first-order only
    - can't be applied to or return functor
  - Structures & functors are second-class values
    - Compile-time structures, can't be constructed or stored at run-time.

## Module Languages

- Signatures like types
  - Describe families of structures
  - Make functor argument specification possible
  - But ... components can themselves be types
- Structures like records
  - But ... can contain types
- Complications:
  - Opacity sometimes requires “sharing constraints”
  - force types in parameters to match up -- omit details

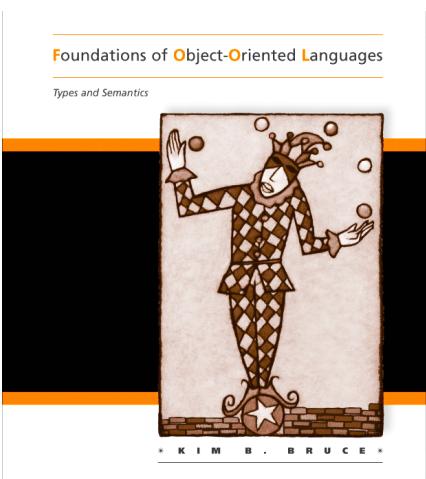
## Key Features of ADT's

- Encapsulation of all features in one place
- Information hiding -- explicit control over what imported and exported.
- Generally separate specification and implementation (except in Clu)
  - Separately compiled (except in ML)
- Ada, Clu, and ML provide parameterized modules.

## Subtyping: Making it easier to reuse code!

### Subtyping

- Can be added to non-OO languages
- Matching structures and signatures similar
  - but more restricted.
- Provides support for using values from new types in old (unexpected) contexts



- Read Chapter 5, Understanding Subtypes, from Foundations of Object Oriented Languages: Types and Semantics, Bruce (MIT Press, 2002).  
*Available on course "links" page. On-line at:*
  - <http://www.cs.pomona.edu/~kim/FOOPL/chap5.pdf>

### Subtype Polymorphism

S is a *subtype* of T, written  $S <: T$ ,  
*iff*

a value of type S can be used in any context  
expecting a value of type T,  
*i.e., S can masquerade as a T.*

*Subsumption:*  $e: S \& S <: T \Rightarrow e: T$ .

## Immutable Records

Records without field update (like Haskell/ML):

```
Sandwich = { bread: BreadType;  
            filling: FoodType }
```

```
s: Sandwich = { bread = rye;  
                filling = pastrami }
```

Only operation is extracting field:

```
... s.filling ...
```

## Specializing Record Types

```
CheeseSandwich = {bread: BreadType;  
                   filling: CheeseType;  
                   sauce: SauceType}
```

```
c_s: CheeseSandwich = {bread = white;  
                        filling = cheddar;  
                        sauce = mustard}
```

## Subtyping Immutable Records

If  $r: \{l_i; T_i\}_{1 \leq i \leq k}$  then expect  $r.l_i : T_i$ .

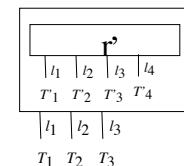
When is  $\{l_i; T'_i\}_{1 \leq i \leq n} <: \{l_i; T_i\}_{1 \leq i \leq k}$ ?

Suppose  $r': \{l_i; T'_i\}_{1 \leq i \leq n}$

When can  $r'$  masquerade as elt of  $\{l_i; T_i\}_{1 \leq i \leq k}$ ?

Need  $r'.l_i : T_i$ .

## Masquerading



$\{l_i; T'_i\}_{1 \leq i \leq n} <: \{l_i; T_i\}_{1 \leq i \leq k}$

iff

$k \leq n$  and for all  $1 \leq i \leq k$ ,  $T'_i <: T_i$