#### Lecture 20: Information Flow

CS 181S

Fall 2020

# Where we were...

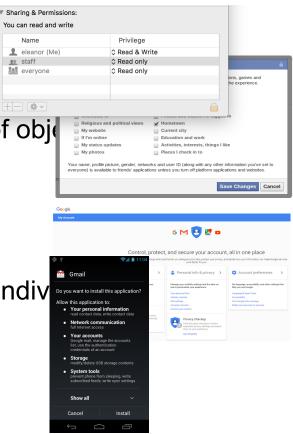
- Authentication: mechanisms that bind principals to actions
- Authorization: mechanisms that govern whether actions are permitted
- Audit: mechanisms that record and review actions



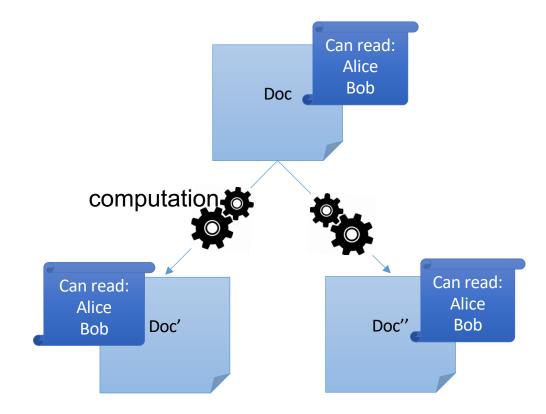


# Who defines Policies?

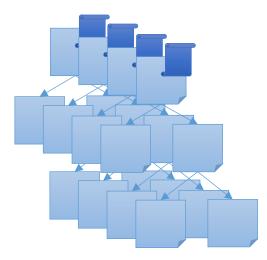
- Discretionary access control (DAC)
  - Philosophy: users have the *discretion* to speathers
  - Commonly, information belongs to the owner of object
  - Access control lists, privilege lists, capabilities
- Mandatory access control (MAC)
  - Philosophy: central authority mandates policy
  - Information belongs to the authority, not to the indiv
  - MLS and BLP, Chinese wall, Clark-Wilson, etc.



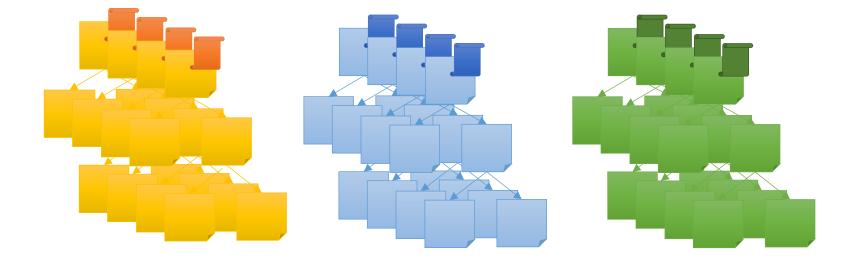
#### Access control for computed data



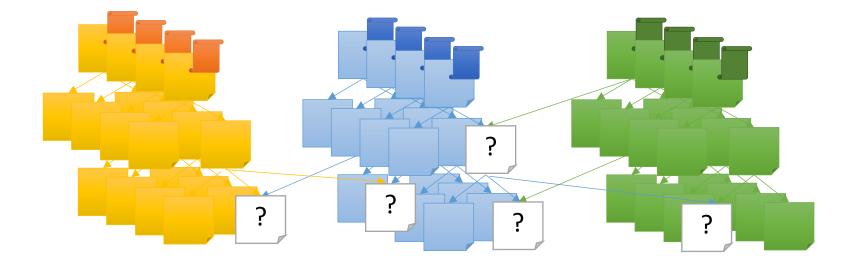
# Scaling to many pieces of data...



#### Scaling to many users...

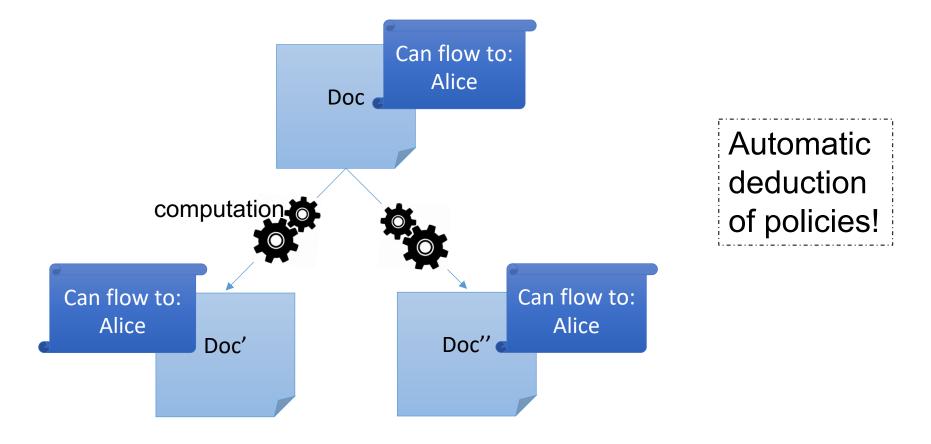


# Scaling to many interactions...



Need to assign restrictions in an automatic way.

# Information flow policies



# Information Flows between Principals

- Channel: means to communicate information
- Storage channel: written by one program and read by another
  - Legitimate channel: intended for communication between programs
  - Covert channel: not intended for information transfer yet exploitable for that purpose

# Information Flow (IF) Policies

- Focus on information not objects
- An IF policy specifies restrictions on the associated data, and on all its derived data.
- IF policy for confidentiality:
  - Value *v* and all its derived values are allowed to be read only by Alice

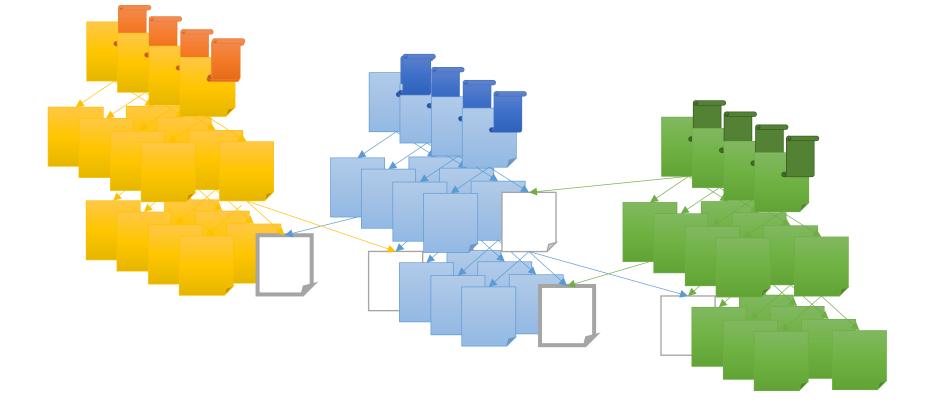
Different from the access control policy: Value v is allowed to be read at most by Alice.

The enforcement mechanism automatically deduces the restrictions for derived data.

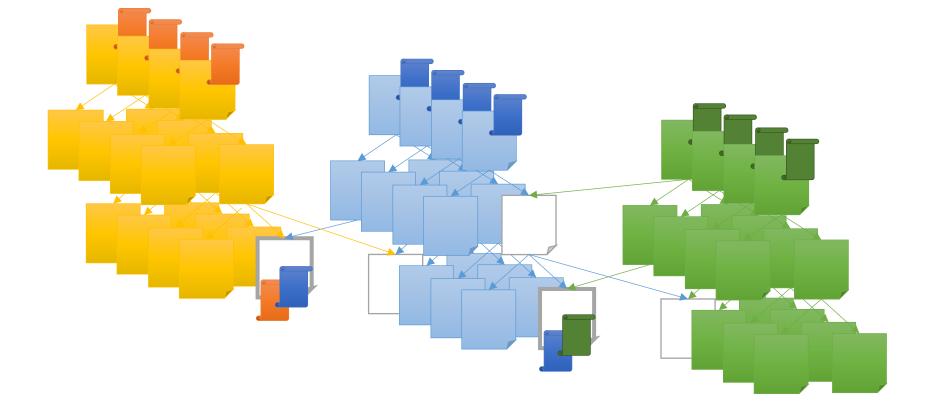
# **Policy Granularity**

- Objects can be system principles (files, programs, sockets...)
- Objects can be program variables

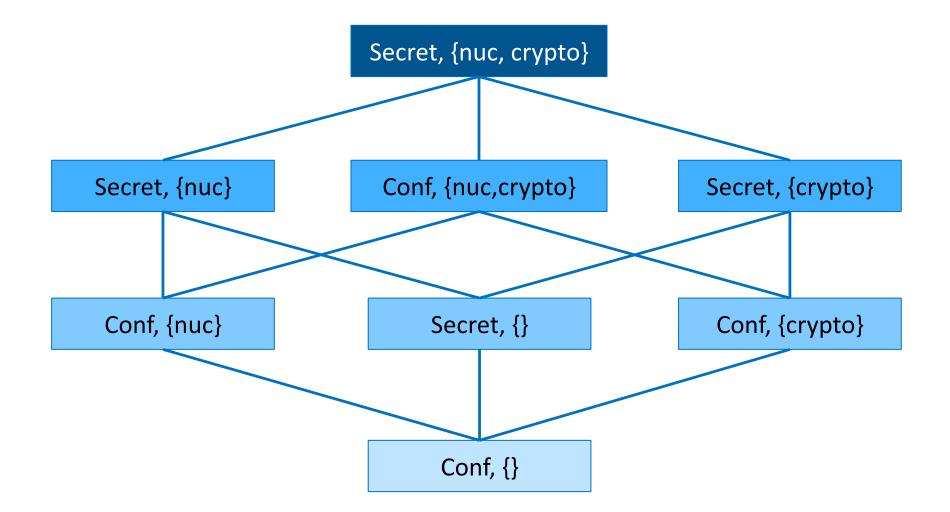
# Scaling to many interactions...



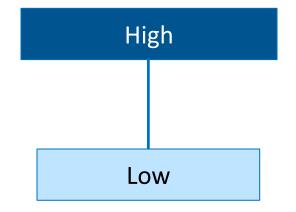
# Scaling to many interactions...



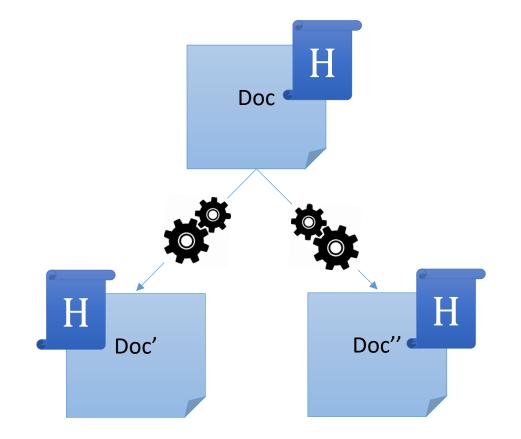
### Labels represent policies



# Labels represent policies



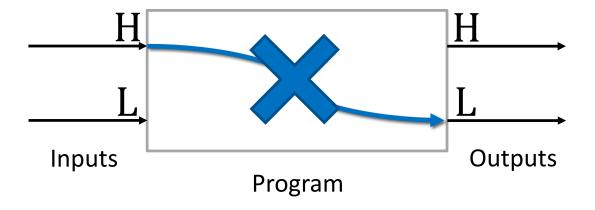
## Labels represent policies



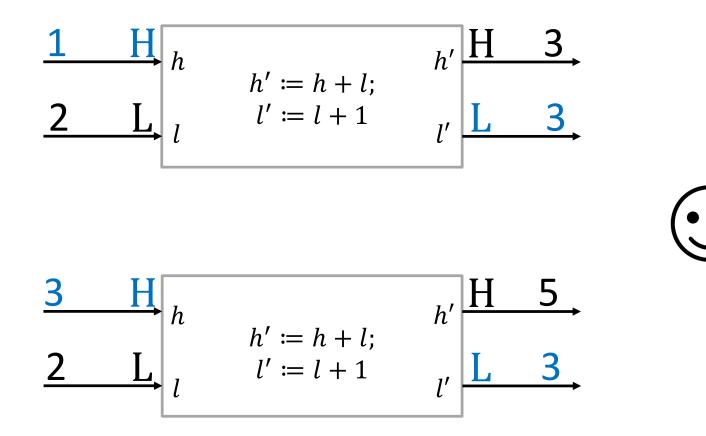
#### Noninterference [Goguen and Meseguer 1982]

An interpretation of noninterference for a program:

• Changes on H inputs should not cause changes on L outputs.

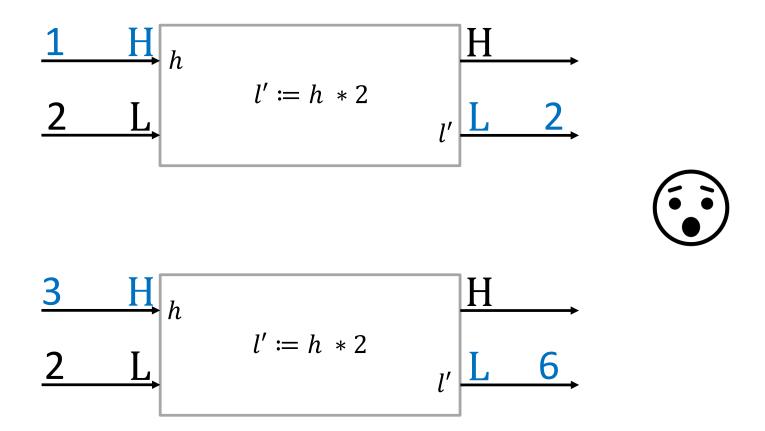


#### Noninterference: Example



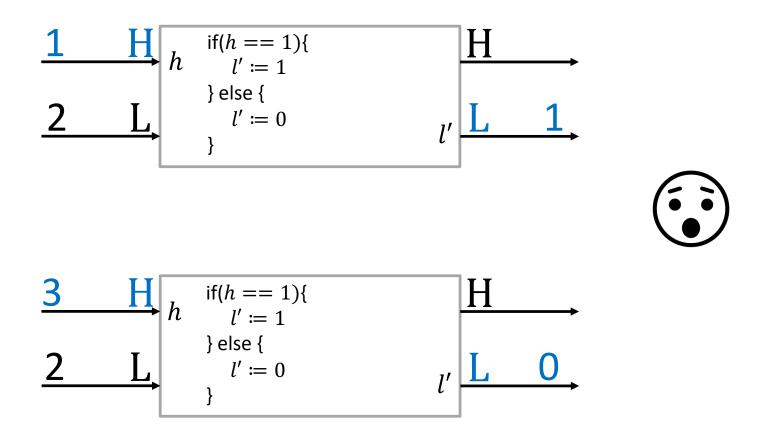
The program satisfies noninterference!

#### Noninterference: Example



The program does not satisfy noninterference!

### Noninterference: Example



The program does not satisfy noninterference!

# Noninterference

- Consider a program C.
- Consider two memories  $M_1$  and  $M_2$ , such that
  - they agree on values of variables tagged with L:

• 
$$M_1 =_{\mathrm{L}} M_2$$
.

 $M_1$  and  $M_2$  might not agree on values of variables tagged with H.

- C(M<sub>i</sub>) are the observations produced by executing C to termination on initial memory M<sub>i</sub>:
  - final outputs, or
  - intermediate and final outputs.
- Then, observations tagged with L should be the same:

•  $C(M_1) =_{\mathrm{L}} C(M_2).$ 

## Noninterference

For a program *C* and a mapping from variables to labels in {L, H}:

 $\forall M_1, M_2$ : if  $M_1 =_L M_2$ , then  $C(M_1) =_L C(M_2)$ .

# Exercise 1: Noninterference

- P outputs  $(H_0, L_0)$  where  $H_0 = H_I || L_I$  and  $L_0 = L_I$ 
  - II denotes string concatenation.

• P outputs 
$$L_0$$
 where  $L_o = \begin{cases} L_I & \text{if } H_I \text{ is even} \\ L_I || L_I & \text{if } H_I \text{ is odd} \end{cases}$ 

# **Enforcement Mechanisms**

- Static Information Flow Control:
  - type checking
- Dynamic Information Flow Control:
  - taint-tracking
  - runtime monitoring

## A simple programming language

- e ::= x | n | e1+e2 | ...
- c ::= x = e
  - | if e then c1 else c2
  - | while e do c
  - | c1; c2

# Typing rules for expressions

Judgement  $\Gamma \vdash \mathbf{e} : \ell$ 

According to mapping  $\Gamma$ , expression **e** has type (i.e., label)  $\ell$ .

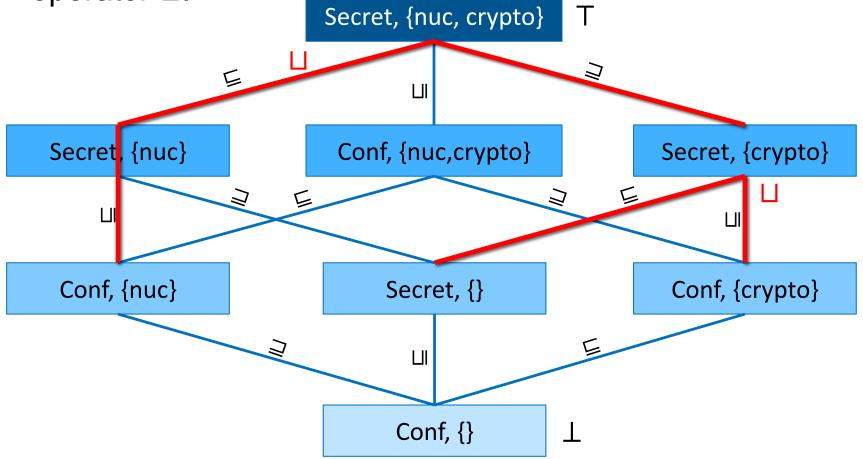
```
Constant: \Gamma \vdash \mathbf{n} : \bot
Variable: \Gamma \vdash \mathbf{x} : \Gamma(\mathbf{x})
Expression: \Gamma \vdash \mathbf{e} + \mathbf{e}' : \ell \sqcup \ell'
if \Gamma \vdash \mathbf{e} : \ell
and \Gamma \vdash \mathbf{e}' : \ell'
```

# **Operator for combining labels**

- For each l and l, there should exist label  $l \sqcup l$ , such that:
  - $l \sqsubseteq l \sqcup l'$ ,  $l' \sqsubseteq l \sqcup l'$ , and
  - if  $\ell \subseteq \ell$ " and  $\ell$ '  $\subseteq \ell$ ", then  $\ell \sqcup \ell$ '  $\subseteq \ell$ ".
- $\ell \sqcup \ell$  is called the **join** of  $\ell$  and  $\ell$ .
- Operator ⊔ is associative and commutative.

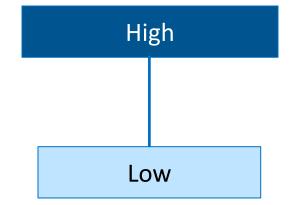
# Lattice of labels

The set of labels and relation ⊑ define a lattice, with join operator ⊔.



# Exercise 2: Join

- What are the following labels (H or L)?
  - $1. \quad H \sqcup H$
  - $2. \quad H \sqcup L$
  - *3. L* ⊔ *H*
  - $4. \quad L \sqcup L$



# Typing rules for commands

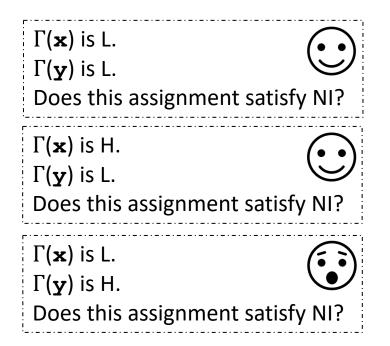
```
Judgement \Gamma, ctx \vdash c
```

According to mapping  $\Gamma$ , and context label *ctx*, command **c** is type correct ( $\Rightarrow$  satisfies noninterference)

# Exercise 3: Checking an assignment

#### $\mathbf{x} = \mathbf{y}$

Examples for confidentiality



#### Assignments cause explicit information flows.

#### $\mathbf{x} = \mathbf{y}$

#### It satisfies NI, if $\Gamma(\mathbf{y}) \sqsubseteq \Gamma(\mathbf{x})$ .

### $\mathbf{x} = \mathbf{y}$

It satisfies NI, if  $\Gamma(\mathbf{y}) \sqsubseteq \Gamma(\mathbf{x})$ .

**MLS for confidentiality** 

"no read up":

S may read O iff Label(O)  $\sqsubseteq$  Label (S)

"no write down": S may write O' iff Label(S)  $\sqsubseteq$  Label (O')

### $\mathbf{x} = \mathbf{y}$

It satisfies NI, if  $\Gamma(\mathbf{y}) \sqsubseteq \Gamma(\mathbf{x})$ .

**MLS for confidentiality** 

"no read up":

C may read **y** iff Label(**y**)  $\sqsubseteq$  Label (C)

"no write down": C may write **x** iff Label(C)  $\sqsubseteq$  Label (**x**)

#### $\mathbf{x} = \mathbf{y} + \mathbf{z}$

It satisfies NI, if  $\Gamma(\mathbf{y}) \sqsubseteq \Gamma(\mathbf{x})$  and  $\Gamma(\mathbf{z}) \sqsubseteq \Gamma(\mathbf{x})$ . It satisfies NI, if  $\Gamma(\mathbf{y}+\mathbf{z}) \sqsubseteq \Gamma(\mathbf{x})$ .



#### x = y + z

#### It satisfies NI, if $\Gamma(\mathbf{y}) \sqcup \Gamma(\mathbf{z}) \sqsubseteq \Gamma(\mathbf{x})$ .

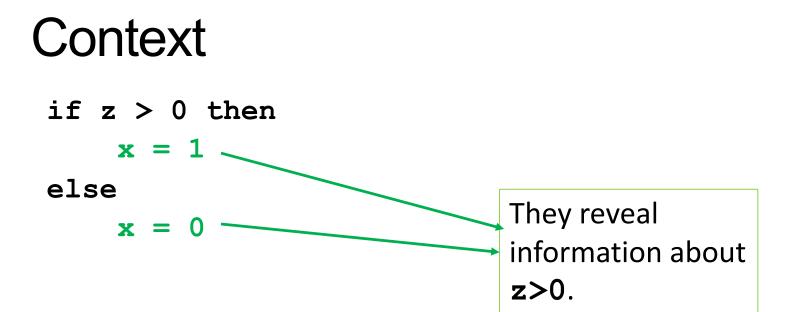
# Exercise 4: Checking an if-statement

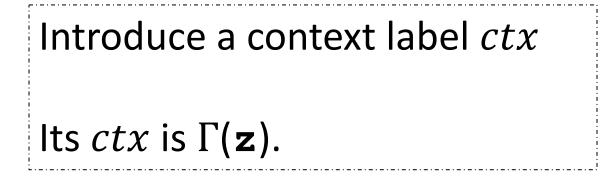
if z > 0 then x = 1else  $\mathbf{x} = \mathbf{0}$ **Examples for confidentiality**  $\Gamma(\mathbf{x})$  is L.  $\Gamma(\mathbf{z})$  is L. Does this if-statement satisfy NI?  $\Gamma(\mathbf{x})$  is H.  $\Gamma(\mathbf{z})$  is L. Does this if-statement satisfy NI?  $\Gamma(\mathbf{x})$  is L.  $\Gamma(\mathbf{z})$  is H. Does this if-statement satisfy NI?

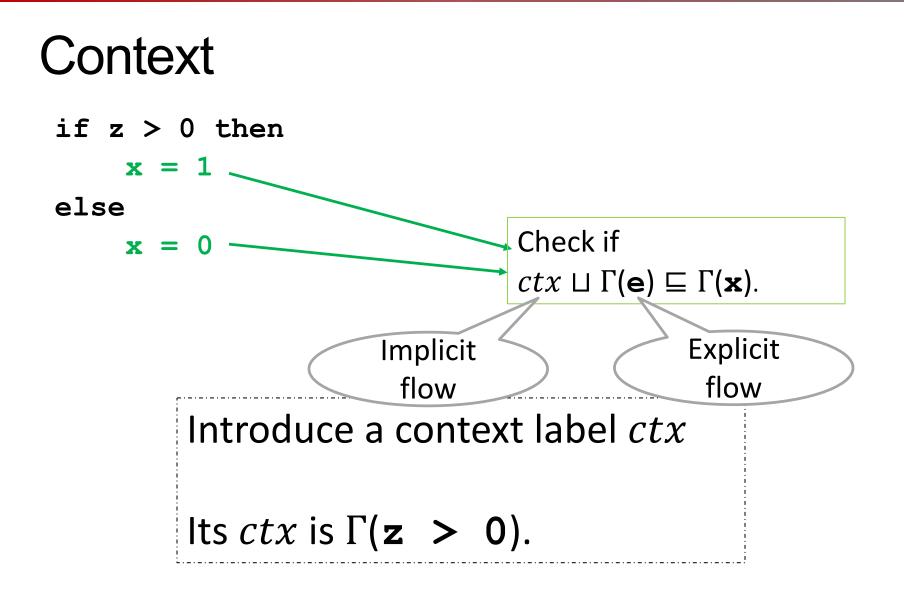
# Checking an if-statement

if z > 0 then x = 1else x = 0

Conditional commands (e.g., if-statements and while-statements) cause **implicit** information flows.







#### Assignment rule

 $\Gamma, ctx \vdash \mathbf{x} := \mathbf{e}$ if  $\Gamma \vdash \mathbf{e} : \ell$ and  $\ell \sqcup ctx \sqsubseteq \Gamma(\mathbf{x})$ 

#### $\Gamma \vdash \mathbf{e} : \ell \qquad \ell \sqcup ctx \sqsubseteq \Gamma(\mathbf{x})$

 $\Gamma$ ,  $ctx \vdash \mathbf{x} := \mathbf{e}$ 

#### If-rule

#### $\Gamma \vdash \mathbf{e} : \ell$ $\Gamma, \ell \sqcup ctx \vdash \mathbf{c1}$ $\Gamma, \ell \sqcup ctx \vdash \mathbf{c2}$

#### $\Gamma, ctx \vdash if e then c1 else c2$

Static type systemAssignment-Rule:
$$\Gamma \vdash \mathbf{e} : \ell$$
 $\ell \sqcup ctx \vdash \mathbf{c} \vdash \mathbf{r}$  $\Gamma, ctx \vdash \mathbf{e} : \ell$  $\Gamma, ctx \vdash \mathbf{c} \vdash \mathbf{c}$ If-Rule: $\Gamma, ctx \vdash \mathbf{if} \in \mathbf{then cl} = \Gamma, \ell \sqcup ctx \vdash c2$ While-Rule: $\Gamma, ctx \vdash \mathbf{if} \in \mathbf{then cl} = \mathbf{cl} \in \mathbf{c}$ While-Rule: $\Gamma, ctx \vdash \mathbf{cl} \quad \Gamma, \ell \sqcup ctx \vdash \mathbf{c}$ Sequence-Rule: $\Gamma, ctx \vdash \mathbf{cl} \quad \Gamma, ctx \vdash \mathbf{c2}$  $\Gamma, ctx \vdash \mathbf{cl} \quad \Gamma, ctx \vdash \mathbf{c2}$  $\Gamma, ctx \vdash \mathbf{cl} \quad \Gamma, ctx \vdash \mathbf{c2}$  $\Gamma, ctx \vdash \mathbf{cl} \quad \Gamma, ctx \vdash \mathbf{c2}$  $\Gamma, ctx \vdash \mathbf{cl} \quad \Gamma, ctx \vdash \mathbf{c2}$  $\Gamma, ctx \vdash \mathbf{cl} \quad \Gamma, ctx \vdash \mathbf{c2}$  $\Gamma, ctx \vdash \mathbf{cl} \quad \Gamma, ctx \vdash \mathbf{c2}$ 

#### Soundness of type system

#### $\Gamma, ctx \vdash c \Rightarrow c$ satisfies NI

# Exercise 5: Feedback

- 1. Rate how well you think this recorded lecture worked
  - 1. Better than an in-person class
  - 2. About as well as an in-person class
  - 3. Less well than an in-person class, but you still learned something
  - 4. Total waste of time, you didn't learn anything
- 2. How much time did you spend on this video lecture (including time spent on exercises)?
- 3. Do you have particular questions you would like me to address class?
- 4. Do you have any other comments or feedback?