

Lecture 13: Tokens

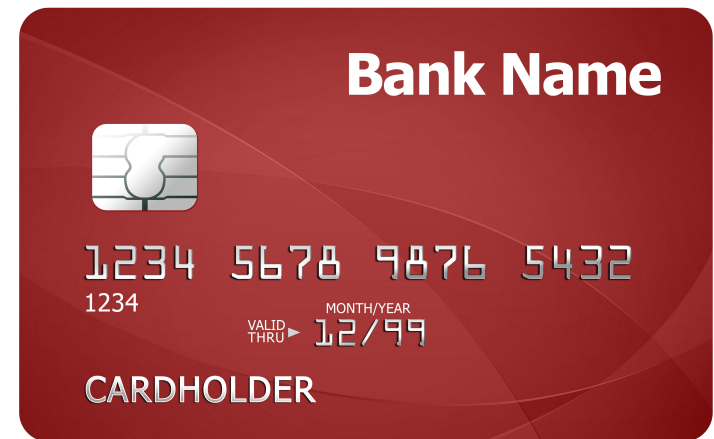
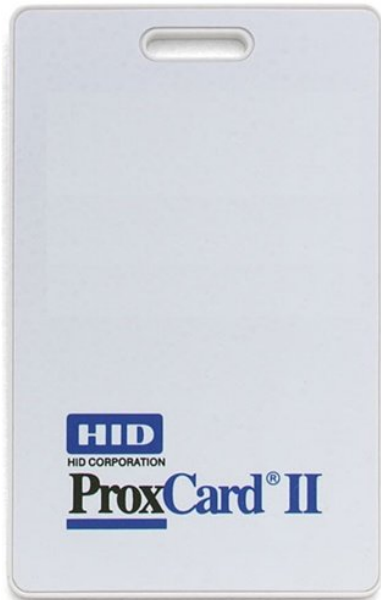
CS 181S

October 29, 2018

Review: Authentication of humans

- **Something you are**
fingerprint, retinal scan, hand silhouette, a pulse
- **Something you know**
password, passphrase, PIN, answers to security questions
- **Something you have**
physical key, ticket, {ATM, prox, credit} card, token

Authentication tokens



Threat Model: Eavesdropper



- Adversary can read and replay messages
- Adversary cannot change messages during protocol execution (not full Dolev-Yao)

Fixed codes (Keyless Entry)



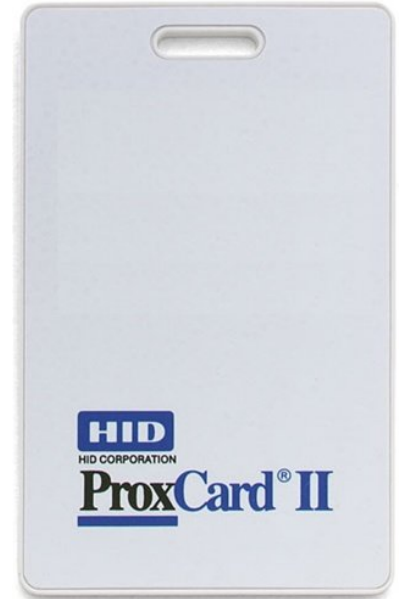
- Token stores a secret value id_T (e.g., key, id, password)
- Reader stores list of authorized ids
- To enter: $T \rightarrow B: id_T$

- **Attack:** replay: thief sits in car nearby, records serial number, programs another token with same number, steals car
- **Attack:** brute force: serial numbers were 16 bits, devices could search through that space in under an hour for a single car (and in a whole parking lot, could unlock some car in under a minute)
- **Attack:** insider: serial numbers typically show up on many forms related to car, so mechanic, DMV, dealer's business office, etc. must be trusted

Fixed codes (RFIDs)

- Token stores a secret value id_T (e.g., key, id, password)
- Reader stores list of authorized ids
- To enter: $T \rightarrow B: id_T$

- **Attack:** replay: thief sits nearby, records serial number, programs another token with same number, authenticates
- **Attack:** privacy: adversary tracks token usage across system and learns user attributes and/or behaviors

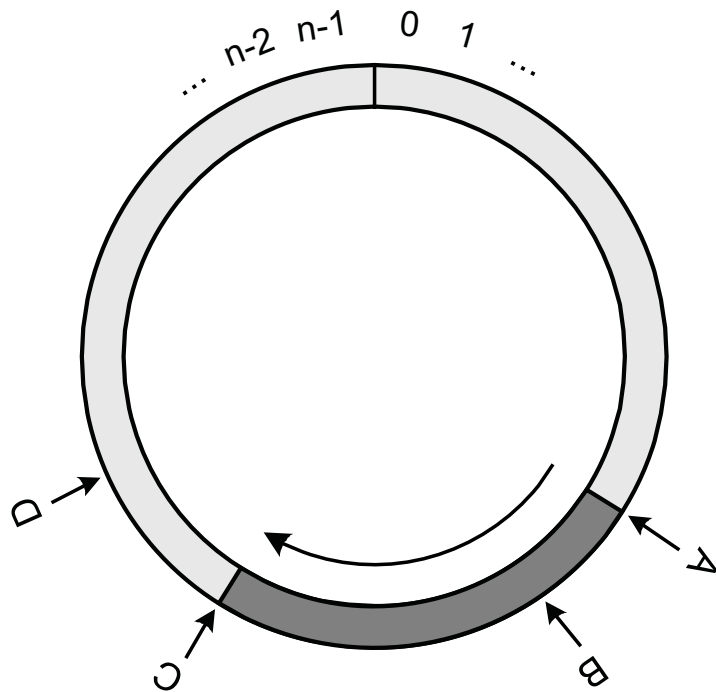


“Rolling” codes

- There is a master key, mk , for the barrier
- Token stores:
 - serial number T
 - shared key k , which is $H(mk, T)$
 - nonce N , which is a sequence counter
- Barrier stores:
 - serial numbers and current nonces for all authorized tokens
 - as well as master key mk
- To enter: **$T \rightarrow B: T, \text{MAC}(T, N; k)$**
 - And T increments N
 - So does B if MAC tag verifies
- **Problem:** desynchronization of nonce

Rolling window

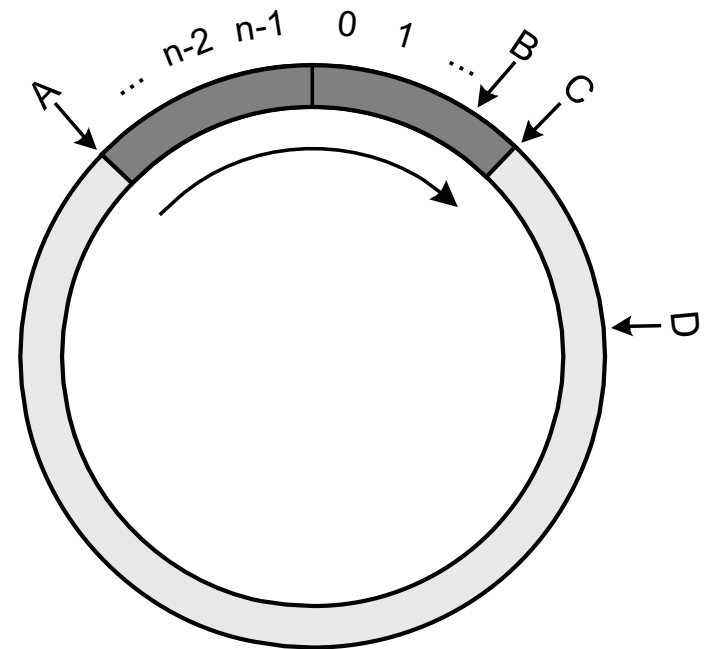
Example 1



A - Value from last valid message

B - Accepted counter values

Example 2



C - End of window

D - Rejected counter values

One-Time Passwords

- OTP may be deemed valid only once (the first time)
- Adversary cannot predict future OTPs, even with complete knowledge of what passwords have already been used

One-time passwords

- A **one-time password** (OTP) is valid only once, the first time used
 - Similar to changing your password with every use
 - Rules out replays entirely
 - But man-in-the-middle could still succeed
- **Use case:** login at untrusted public machine where you fear keylogger
- **Use case:** recovery
 - "main password" is lost
 - phone is lost during two-factor authentication (e.g., Google backup codes)
- **Older use case:** send cleartext password over network

One-time passwords

- Strawman implementation: Pre-registered OTPs
- **Solution:** algorithmic generation of OTPs
 - SecureID can be seen as an instantiation: each code is a OTP valid for only 60 sec.
 - Iterated hashing is another possibility...

Unique challenge: MACs

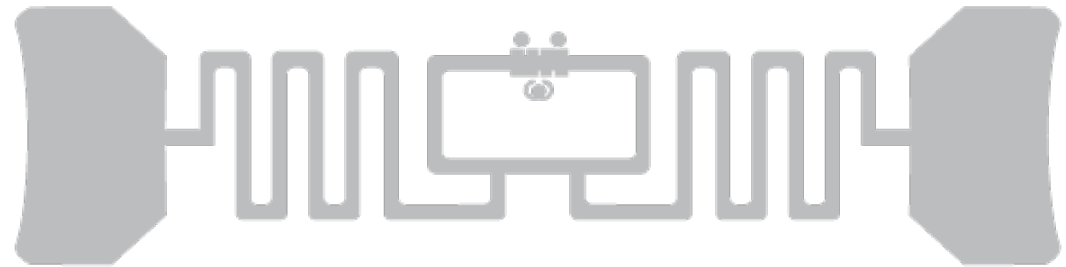
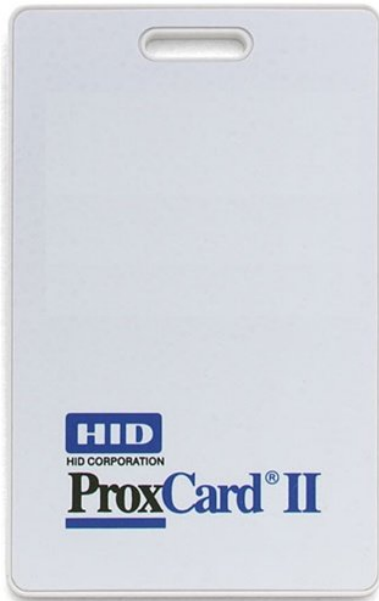
Assume: B stores a **MAC** key for each token, i.e., a set of tuples (id_T, uid, k_T) , and T stores k_T

1. U→B: I want to authenticate with T
2. B: invent unique nonce N
3. B→T: N
4. T: $t = \text{MAC}(N; k_T)$
5. T→B: id_T, t
6. B: lookup (uid, k_T) for id_T ;
U is authenticated as uid if $t = \text{MAC}(N; k_T)$

Non-problem: key distribution: already have to physically distribute tokens

Problem: key storage at B: what if key is stolen?

EPC Gen2v2 RFID Cards



Unique challenge: Dig Sig

Assume: B stores a verification key for each token, i.e., a set of tuples (id_T, uid, K_T) , and T stores signing key k_T

1. U→B: I want to authenticate with T
2. B: invent unique nonce N
3. B→T: N
4. T: $s = \text{Sign}(N; k_T)$
5. T→B: id_T, s
6. B: lookup (uid, K_T) for id_T ;
U is authenticated as uid if $\text{Ver}(N; s; K_T)$

Quasi-problems: cost? performance? power? patents?

U2F



Remote Authentication

- (Usually) No communication from server to token
- Usability considerations render challenge-response impractical

Hypothetical protocol

Assume: S stores a set of tuples (id_T, uid, kT, pin), and T stores kT

1. U->L: I want to authenticate **as uid** to S
2. L and S: establish secure channel
3. L->U: Enter PIN and code on my keyboard
4. T->U: code = MAC(**time@T**, id_T; kT)
5. **U->L: pin, code**
6. L: compute $h = H(\text{pin}, \text{code})$
7. L->S: uid, h
8. S: lookup (pin, id_T, kT) for uid;
id_Hu is authenticated
if $h = H(\text{pin}, \text{MAC}(\text{time@S}, \text{id}_T; kT))$

Engineering challenge: clock synchronization

Estimating clock value

- Each device D has a clock C_D
 - model C_D as an non-decreasing, positive function of real time
- Server needs to estimate $C_T(t_{code})$: the time the token's clock displayed when the code was computed
- Clocks run at different rates and thus drift apart
 - we assume drift rate is bounded by a constant ρ
 - If $C_T(t) = C_S(t)$ then $|C_T(t') - C_S(t')| \leq 2\rho(t'-t)$
- Messages take time $d_{min} - d_{max}$ to deliver
- Clock estimation:
 - $C_T(t_{prev}) \leq C_T(t_{code})$
 - $C_T(t_{code}) \in [C_S(t_{curr}) + \Delta_{prev} + d_{min} - 2\rho(t_{curr} - t_{prev}), C_S(t_{curr}) + \Delta_{prev} + d_{max} + 2\rho(t_{curr} - t_{prev})]$
 - To authenticate: check all possible times in range
 - On successful authentication, update t_{prev}

SecurID

- Token: displays **code** that changes every minute
 - LCD display
 - Internal clock (1 minute granularity)
 - No input channel
 - Can compute hashes, MACs
 - Stores a secret
- Ideas used:
 - replace nonce with current time
 - use L to input PIN
 - server checks ± 10 minutes to allow for clock drift



Hash chains

- Let $H^i(x)$ be i iterations of H applied to x
 - $H^0(x) = x$
 - $H^{i+1}(x) = H(H^i(x))$
- **Hash chain:** $H^1(x), H^2(x), H^3(x), \dots, H^n(x)$

OTPs from hash chains

- Given a randomly chosen, large, secret seed s ...
- **Bad idea:** generate a sequence of OTPs as a hash chain: $H^1(s), H^2(s), \dots, H^n(s)$
 - Suppose untrusted public machine learns $H^i(s)$
 - From then on can compute next OTP $H^{i+1}(s)$ by applying H , because hashes are easy to compute in forward direction
 - But hashes are hard to invert...
- **Good idea [Lamport 1981]:** generate a sequence of OTPs as a reverse hash chain: $H^n(s), \dots, H^1(s)$
 - Suppose untrusted public machine learns $H^i(s)$
 - Next password is $H^{i-1}(s)$
 - Computing that is hard!

Protocol (almost)

Assume: S stores a set of tuples (uid, n_u, s_u)

1. U->L->S: uid
2. S: lookup (n_u, s_u) for uid;
 let n = n_u;
 let otp = Hⁿ(s_u);
 decrement stored n_u
3. S->L->U: n
4. U: p = Hⁿ(s_u)
5. U->L->S: p
6. S: uid is authenticated if p = otp

Problem: S has to compute a lot of hashes if authentication is frequent

Solution to S's hash burden

- S stores **last**: last successful OTP for `id_Hu`, where **last** = $H^{n+1}(s)$
- S receives **next**: next attempted OTP, where if all is well **next** = $H^n(s)$
- S checks its correctness with a single hash:
 $H(\mathbf{next}) = H(H^n(s)) = H^{n+1}(s) = \mathbf{last}$
- And if correct S updates last successful OTP: **last** := **next**

Next problem: what if Hu and S don't agree on what password should be used next? i.e., become *desynchronized*

- network drops a message
- attacker does some online guessing (impersonating Hu) or spoofing (impersonating S)

Solution to desynchronization

- Hu and S independently store index of last used password from their own perspective, call them m_{Hu} and m_S
 - Neither is willing to reuse old passwords (i.e., higher indexes)
 - But both are willing to skip ahead to newer passwords (i.e., lower indexes)
- To authenticate:
 - S requests index m_S
 - Hu computes $\min(m_S, m_{Hu})$, sends that along with OTP for it
 - S and Hu adjust their stored index

Next problem: running out of passwords: have to bother sysadmin periodically

Salted passwords as seed

- Compute OTP as $H^n(\text{pass}, \text{salt})$
- Whenever H_u wants to generate new set of OTPs:
 - find a local machine H_u trusts (could be offline, phone, ...)
 - request new salt from S
 - enter pass
 - generate as many new OTPs as H_u likes by running hash forward
 - let S know how many were generated and what the last one was

Final protocol

Assume: S stores a set of tuples (uid, n_S , salt, last), H_u stores (pass, n_u)

1. U→L→S: uid
2. S: lookup n_S for uid
3. S→L→U: n_S
4. U: $n = \min(n_u, n_S) - 1$;
 if $n \leq 0$ then abort
 else let $p = H^n(\text{pass}, \text{salt})$; // lookup on paper
 $n_u := n$ // cross off on paper
5. U→L→S: n, p
6. S: if $n < n_S$ and $H^{n_S-n}(p) = \text{last}$
 then $n_S := n$;
 last := p ;
 uid is authenticated

S/KEY

[\[RFC 1760\]](#):

- Instantiation of that protocol for particular hash algorithms and sizes
- But same idea works for newer hashes and larger sizes