

Admin

Assignment 9

2

Checkpoint 2 (DP through graphs... will not include flow networks)

Mentor hour update:

No more Saturday hours for now
 Additional hours Friday: 5:30-7:30pm

Checkpoint 2

2 pages of notes

2/15 through 4/2 (will not include network flow)

Will make some practice problems soon

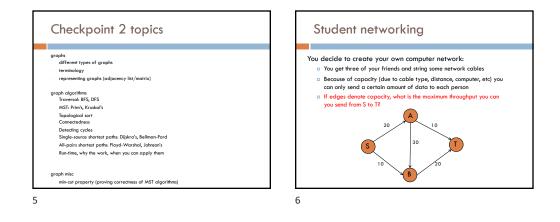
Checkpoint 2 topics

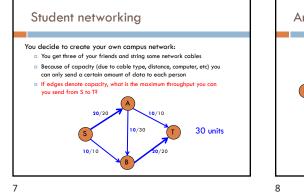
- greedy algorithms
- proving correctness
- developing algorithms
- comparing vs. dynamic programming

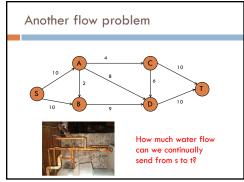
hashtables

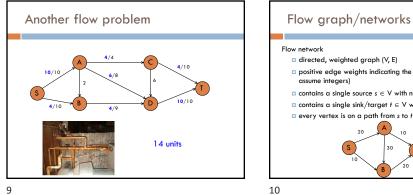
- collision resolution by chaining
- open addressinghash functions

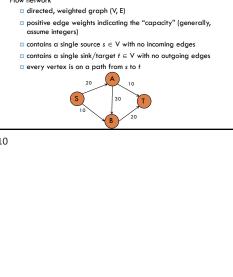
Dynamic programming

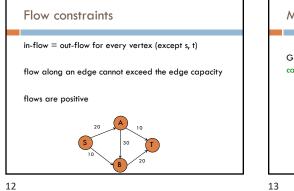


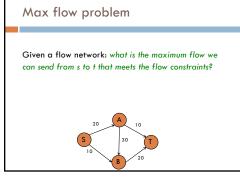


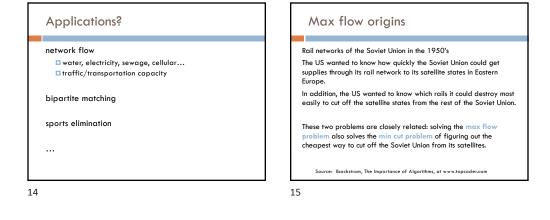


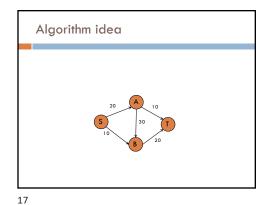


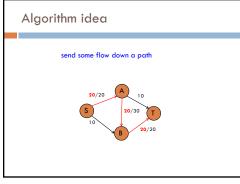


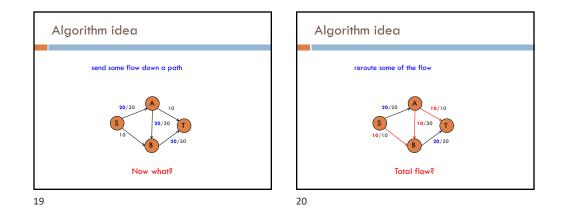


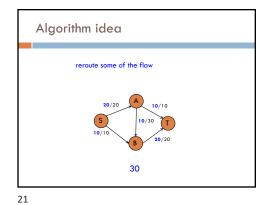


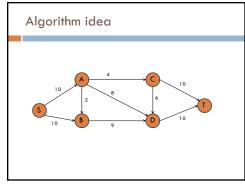


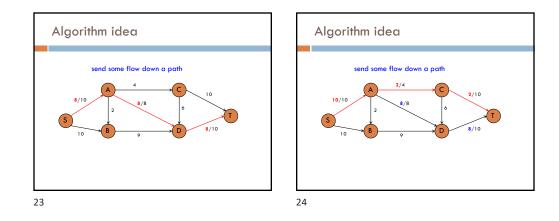


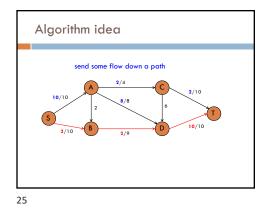


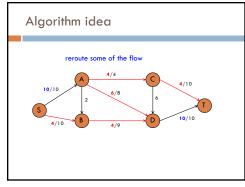


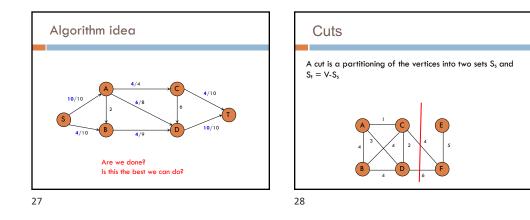


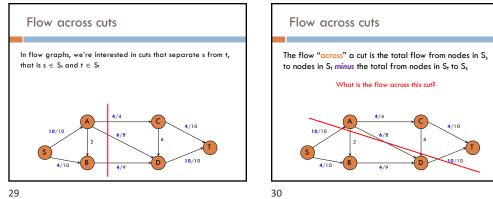




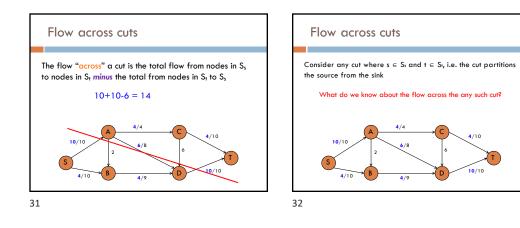


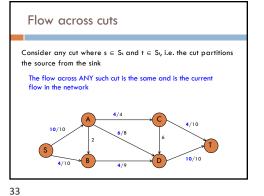


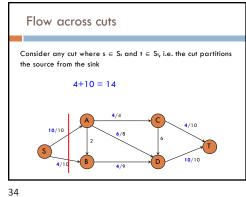


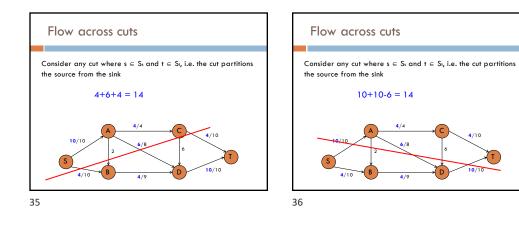


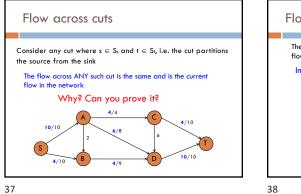
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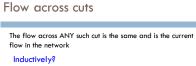


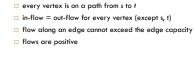


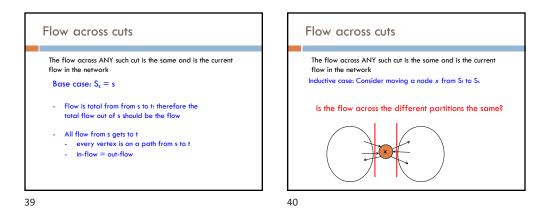


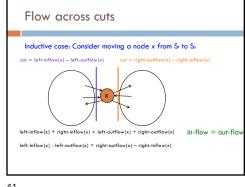








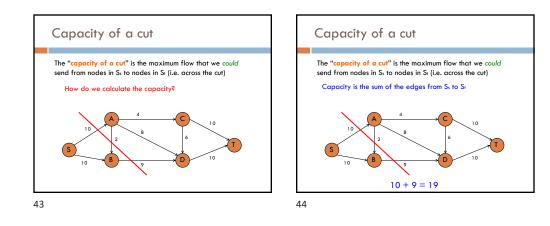


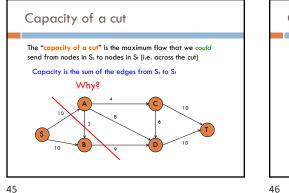


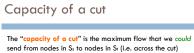
Flow across cuts

Consider any cut where $s \in S_s$ and $t \in S_t$, i.e. the cut partitions the source from the sink

The flow across ANY such cut is the same and is the current flow in the network

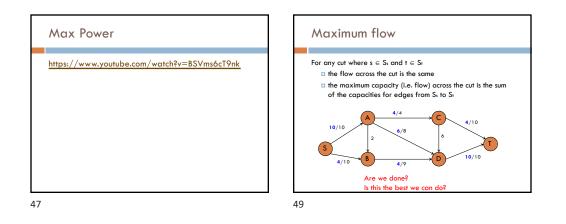






Capacity is the sum of the edges from S_{s} to S_{f}

- Any more and we would violate the edge capacity constraint - Any less and it would not be maximal, since we
- could simply increase the flow



Capacity = 10 + 4

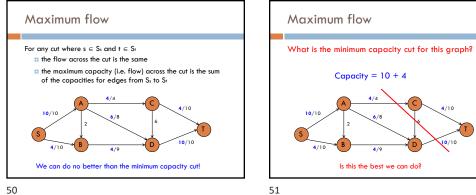
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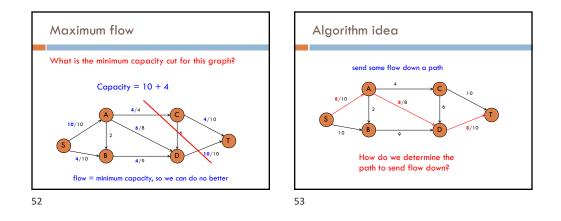
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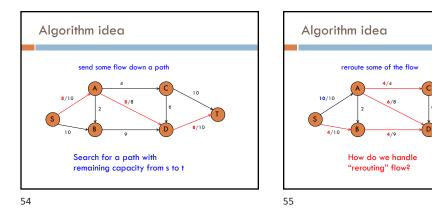
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Is this the best we can do?

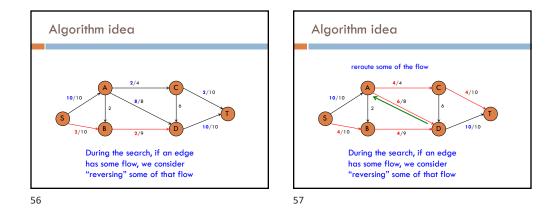
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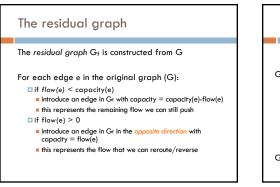


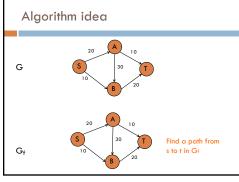


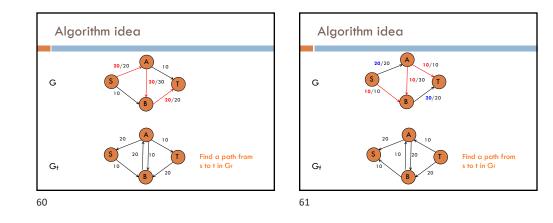


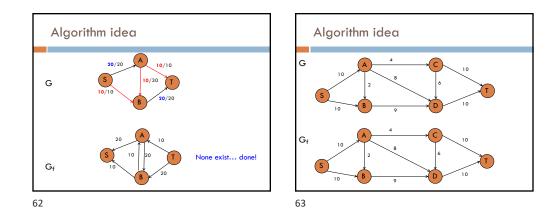
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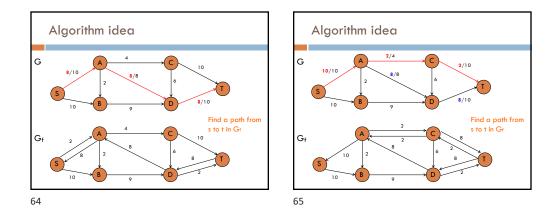


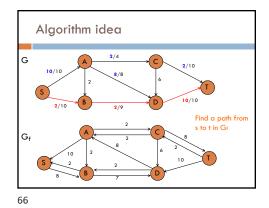


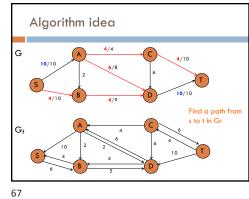


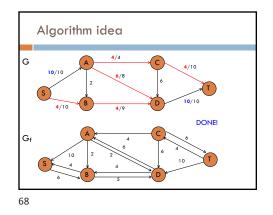


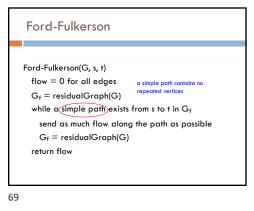






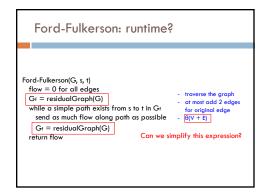






Ford-Fulkerson: runtime?

 $\begin{aligned} & \text{Ford-Fulkerson}(G, s, t) \\ & \text{flow} = 0 \text{ for all edges} \\ & \text{Gr} = \text{residualGraph}(G) \\ & \text{while a simple path exists from s to t in Gr} \\ & \text{send as much flow along path as possible} \\ & \text{Gr} = \text{residualGraph}(G) \\ & \text{return flow} \end{aligned}$



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Ford-Fulkerson: runtime?	2	Ford-Fulkers
Ford-Fulkerson(G, s, t) flow = 0 for all edges Gr = residualGraph(G) while a simple path exists from s to t in Gr send as much flow along path as possible Gr = residualGraph(G) return flow	 traverse the graph at most add 2 edges for original edge 0(V + E) = 0(E) (all nodes exists on paths from s to t) 	Ford-Fulkerson(G, s, t) flow = 0 for all edges Gr = residualGraph(G) while a simple path exist send as much flow alor Gr = residualGraph(G return flow

